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$$\therefore \sec_{i}^{3} = \frac{e[1/(2e^{2}-1)-1]}{e^{2}-1} \cdot \cdot \cdot \frac{e[1/(2)[1/(2e^{2}-1)-1]}{2(e^{2}-1)} \text{ is semi-major axis.}$$

... average volume is 
$$\frac{1}{2}e\left(\frac{e\sqrt{(2)[\sqrt{(2e^2-1)-1}]}}{2(e^2-1)}+\frac{1}{2}\right)\frac{1}{2}\pi=\triangle$$
.

... 
$$\triangle = \frac{\pi e}{8(e^2 - 1)} [e\sqrt{2(\sqrt{2e^2 - 1} - 1)} + e^2 - 1] = 5.4345$$
 cubic inches, when  $e = 5$  inches,

72. Proposed by B. F. FINKEL, A.M., M. Sc., Professor of Mathematics and Physics, Drury College, Springfield, Mo.

A rod is broken at random into four pieces; find the chance that no one of the pieces is greater than the sum of the other three. [From C. Smith's Treatise on Algebra, p. 528.]

Solution by G. B. M. ZERR, A. M., Ph. D., Professor of Mathematics and Science, Chester High School, Chester, Pa.

Let a =length of rod.

By conditions of problem no part can be greater than \( \frac{1}{2}a. \)

Let ABCD-G be a cube side a.

Let Abcd-g be a cube side  $\frac{1}{2}a$ .

For favorable cases the points are confined to the smaller cube.

... chance = 
$$\frac{(\frac{1}{2}a)(\frac{1}{2}a)(\frac{1}{2}a)}{(a)(a)(a)} = \frac{1}{8}$$
.

73. Proposed by G. B. M. ZERR, A. M., Ph. D., Professor of Mathematics and Science, Chester High School, Chester, Pa.

On an average 1 vessel out of every n is wrecked. Find the chance that out of m vessels expected p at least will arrive safely.

## I. Solution by the PROPOSER.

The chance of a vessel arriving is [(n-1)/n].

The chance of a vessel not arriving is 1/n.

The event will happen if, m, (m-1), (m-2), (m-3), (m-4), ..... down to p vessels arrive.

Thus the required chance is the sum of the first (m-p+1) terms in the expansion of

$$\left(\frac{n-1}{n} + \frac{1}{n}\right)^{m} = \left(\frac{n-1}{n}\right)^{m} + \frac{m}{1}\left(\frac{1}{n}\right)\left(\frac{n-1}{n}\right)^{m-1} + \frac{m(m-1)}{2!}\left(\frac{1}{n}\right)^{2}\left(\frac{n-1}{n}\right)^{m-2} + \dots + \frac{m!}{p!(m-p)!}\left(\frac{1}{n}\right)^{m-p}\left(\frac{n-1}{n}\right)^{p}.$$

If n=10, m=5, p=3, we get chance  $=\binom{9}{10}^5 + 5\binom{1}{10}\binom{9}{10}^4 + 10\binom{1}{10}^2\binom{9}{10}^3 = \frac{12393}{2500}$ .